# Lines, Rays, and Angles

Name	What it looks like	Think
point D	D•	A <b>point</b> names a location in space.
line $AB$ ; $\overrightarrow{AB}$ line $BA$ ; $\overrightarrow{BA}$	A B	A <b>line</b> extends without end in opposite directions.
line segment $AB$ ; $\overline{AB}$ line segment $BA$ ; $\overline{BA}$	A B	"Segment" means part. A <b>line segment</b> is part of a line. It is named by its two endpoints.
ray MN; $\overrightarrow{MN}$ ray NM; $\overrightarrow{NM}$	M N	A <b>ray</b> has one endpoint and extends without end in one direction. A ray is named using two points. The endpoint is always named first.
angle $XYZ$ ; $\angle XYZ$ angle $ZYX$ ; $\angle ZYX$ angle $Y$ ; $\angle Y$	X	Two rays or line segments that share an endpoint form an angle. The shared point is the vertex of the angle.
A <b>right angle</b> forms a square corner.	An acute angle opens less than a right angle.	An obtuse angle opens more than a right angle and less than a straight angle.  A straight angle forms a line.

Draw and label an example of the figure.

**1.**  $\overline{PQ}$ 

**2.** *KJ* 

**3.** obtuse ∠*FGH* 

# **Classify Triangles**

A **triangle** is a polygon with \_\_\_3\_\_ sides

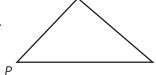
and 3 angles.

Each pair of sides joins at a vertex.

You can name a triangle by its vertices.

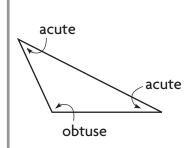
 $\Delta PQR$  $\Delta PRQ$   $\Delta QRP$  $\Delta QPR$ 

 $\Delta RPQ$  $\Delta RQP$ 

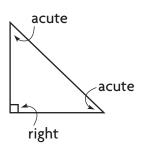


There are  $\frac{3}{2}$  types of triangles. All triangles have at least  $\frac{2}{2}$  acute angles.

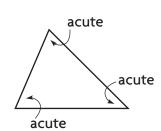
Obtuse triangle one obtuse angle



**Right triangle** one right angle



Acute triangle three acute angles



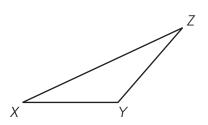
**1.** Name the triangle. Tell whether each angle is *acute*, *right*, or *obtuse*. A name for the triangle

is \_\_\_\_\_\_

∠*X* is \_\_\_\_\_\_.

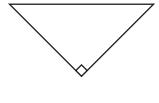
∠*Y* is \_\_\_\_\_\_.

∠*Z* is \_\_\_\_\_\_.



Classify each triangle. Write acute, right, or obtuse.

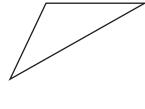
2.



3.



4.



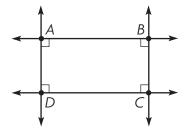
# **Parallel Lines and Perpendicular Lines**

**Parallel lines** are lines in a plane that are always the same distance apart. Parallel lines or line segments never meet.

In the figure, lines AB and CD, even if extended, will never meet.

The lines are parallel. Write  $\overrightarrow{AB} \parallel \overrightarrow{CD}$ .

Lines AD and BC are also parallel. So,  $\overrightarrow{AD} \overrightarrow{BC}$ .



**Intersecting lines** cross at exactly one point. Intersecting lines that form right angles are **perpendicular**.

In the figure, lines AD and AB are perpendicular because they form right angles at vertex A. Write  $\overrightarrow{AD} \perp \overrightarrow{AB}$ .

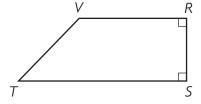
Lines  $\underline{BC}$  and  $\underline{CD}$  are also perpendicular. So,  $\overrightarrow{BC}\bot\overrightarrow{CD}$ .

## Use the figure for 1–3.

1. Name two sides that appear to be parallel.

\_\_\_\_\_

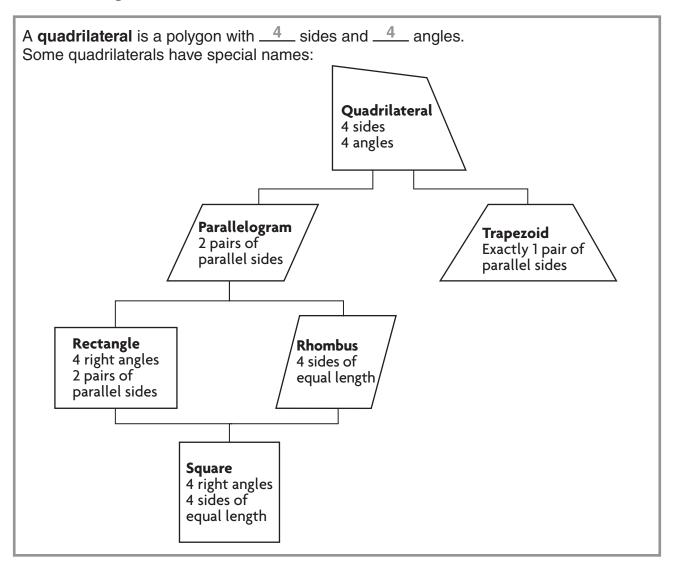
2. Name two sides that appear to be perpendicular.



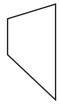
**3.** Name two sides that appear to be intersecting, but not perpendicular.

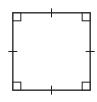
\_\_\_\_\_

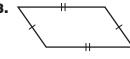
## **Classify Quadrilaterals**



Classify each figure as many ways as possible. Write quadrilateral, trapezoid, parallelogram, rhombus, rectangle, or square.

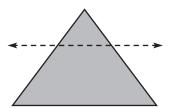






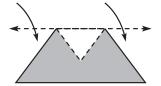
# **Line Symmetry**

Tell whether the parts on each side of the line match. Is the line a line of symmetry?



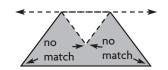
**Step 1** Trace and cut out the shape.

Fold the shape along the dashed line.



**Step 2** Tell whether the parts on each side match.

Compare the parts on each side.



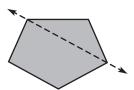
The parts do not match.

**Step 3** Decide if the line is a line of symmetry.

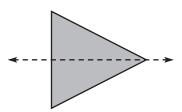
The parts on each side of the line do not match.

So, the line is not a line of symmetry.

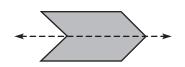
1.



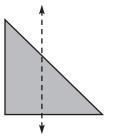
2.



3.



4.



# Find and Draw Lines of Symmetry

Tell whether the shape appears to have zero lines, 1 line, or more than 1 line of symmetry. Write zero, 1, or more than 1.



**Step 1** Decide if the shape has a line of symmetry.

Trace and cut out the shape. Fold the shape along a vertical line.



Do the two parts match exactly? \_\_\_yes\_\_\_

**Step 2** Decide if the shape has another line of symmetry.

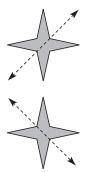
Open the shape and fold it along a horizontal line.



Do the two parts match exactly? \_\_\_\_yes\_\_\_

**Step 3** Find any other lines of symmetry.

**Think:** Can I fold the shape in other ways so that the two parts match exactly?



I can fold the paper diagonally two different ways, and the parts match exactly.

So, the shape appears to have \_\_\_\_\_ line of symmetry.

Tell whether the shape appears to have zero lines, 1 line, or more than 1 line of symmetry. Write zero, 1, or more than 1.

1.



2.



3.



## **Problem Solving • Shape Patterns**

Use the strategy act it out to solve pattern problems.

What might be the next three figures in the pattern below?



#### Read the Problem

### What do I need to find?

I need to find the next three figures in the pattern.

## What information do I need to use?

I need to look for a group of figures that repeat.

## How will I use the information?

I will use pattern blocks to model the pattern and act out the problem.

## **Solve the Problem**

Look for a group of figures that repeat and circle that group.

The repeating group is triangle triangle square triangle square

I used triangles and squares to model and continue the pattern by repeating the figures in the group.

These are the next three figures in the pattern:



000

0 00

1. Describe the pattern shown at right. Draw what might be the next figure in the pattern.



2. Use the pattern. How many circles will be in